

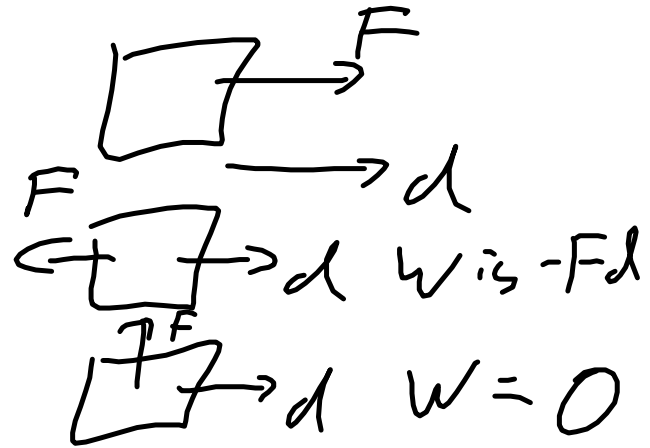
$$Work = Fd$$

units: Joule, J

$$P = \frac{W}{t}$$

units: Watts, W

or horsepower  $hp = 746 W$

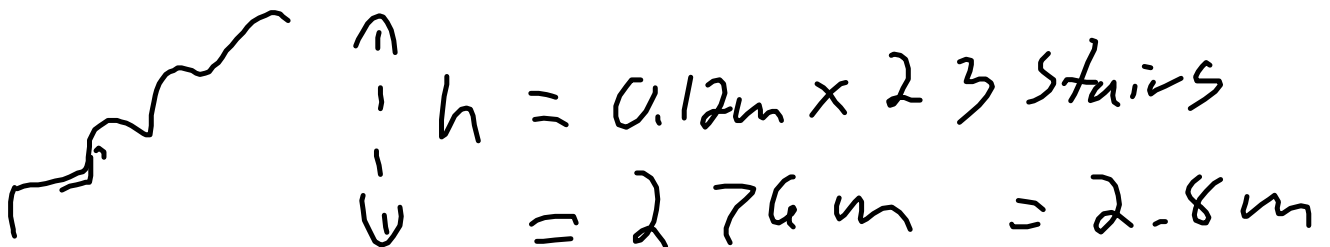


1. A 50.0 kg student runs up 23 stairs, 0.12 m high and 0.24m wide in 2.5s. Determine

a) the weight of the student

$$F_g = mg = 50.0 \times 9.80 = 490.0 = 490. \text{ N}$$

b) the distance up the stairs



c) the distance sideways of the stairs

$$d = 23 \times 0.24 = 5.52 \text{ m}$$

d) the work done by the student against gravity

$$W = Fd = 490 \text{ N} \times 2.76 \text{ m} = 490 \times 2.76 = 1,352.4$$

$$1.35 \text{ kJ} = 1.35 \times 10^3 \text{ J}$$

e) the work done by gravity

e) the work done by gravity  
=  $-1.35 \text{ kJ}$  (force is opposite the displacement)

f) the work done by the normal force  
 $W=0$  there is no displacement  
(the normal force does work when you are in an elevator or in the car, the back of the seat pushes on you)

g) the power of the student in Watts, and in horsepower  $1 \text{ hp} = 746 \text{ W}$   
 $P = W/t = 1,352.4/2.5 = 540.96$   $540.96/746 = 0.7251$   
 $P = 540 \text{ W} = 0.73 \text{ horsepower}$

1. You leave a  $100 \text{ W}$  light bulb on for  $8.0$  hours a day for a year. If BC Hydro charges  $\$0.12$  per kilowatt-hour

a) how much energy did you use in kilowatt-hours? In Joules?

$$100 \text{ W} \times 8 \text{ hours/day} \times 365.25$$

$$100 \times 8 \times 365.25 = 292,200 \text{ Whrs} = 292 \text{ kWhrs}$$

$$J = \text{Nm}$$

$$W = J/s$$

$$292,200 \text{ J/s hours} = 292,200 \text{ J/s} \times 3600 \text{ s}$$

$$292,200 \times 3600 = 1,051,920,000 = 1.1 \times 10^9 \text{ J}$$

b) How much does it cost to light the bulb?

$$292 \text{ kWhrs} \times \$0.12/\text{kWhrs}$$

$$292 \times 0.12 = 35.04$$

\$35 per year to run one light bulb.

What if you used a high efficiency bulb,  $P=25W$  for the same brightness?

$$\$35.04/4 = \$8.76$$

you save  $35.04 - 8.76 = 26.28$  \$26 per year

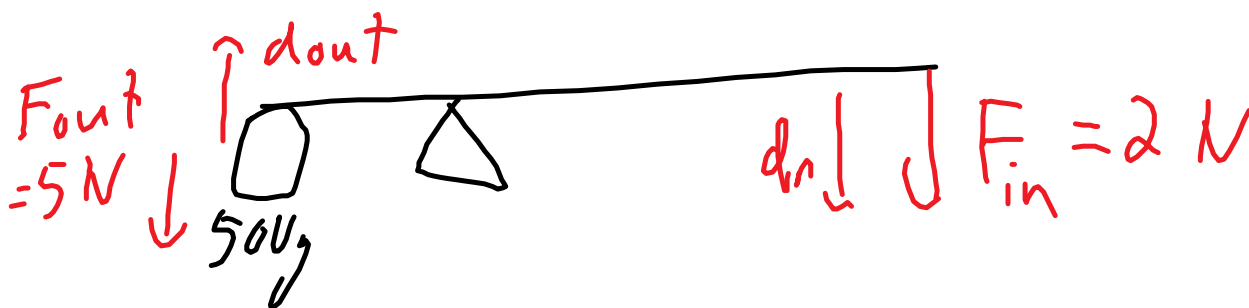
1. run up the stairs and calculate your power  
measure: Mass\_\_\_\_, time\_\_\_\_, height of each stair\_\_\_\_ x the number of stairs\_\_\_\_

20 minutes of classwork

p199Q1-4, p202 Q5,6 p203Q9-12

Simple Machines, Mechanical Advantage and Efficiency

Look at a lever



Ideal Machine no work  
is lost to Friction,

Types of simple machines:  
pulleys, levers, wheel and axel, wedge,

Ideal machine the work in = work out  
(in the lever example, the work out is the work done by the lever lifting the mass, the work in is the work you do on the lever)

$$F_{in}d_{in} = F_{out}d_{out} \quad F_{out}/F_{in} = d_{in}/d_{out}$$

we define mechanical advantage,  $MA = F_{out}/F_{in}$

from the above equation we see

Ideal Mechanical Advantage,

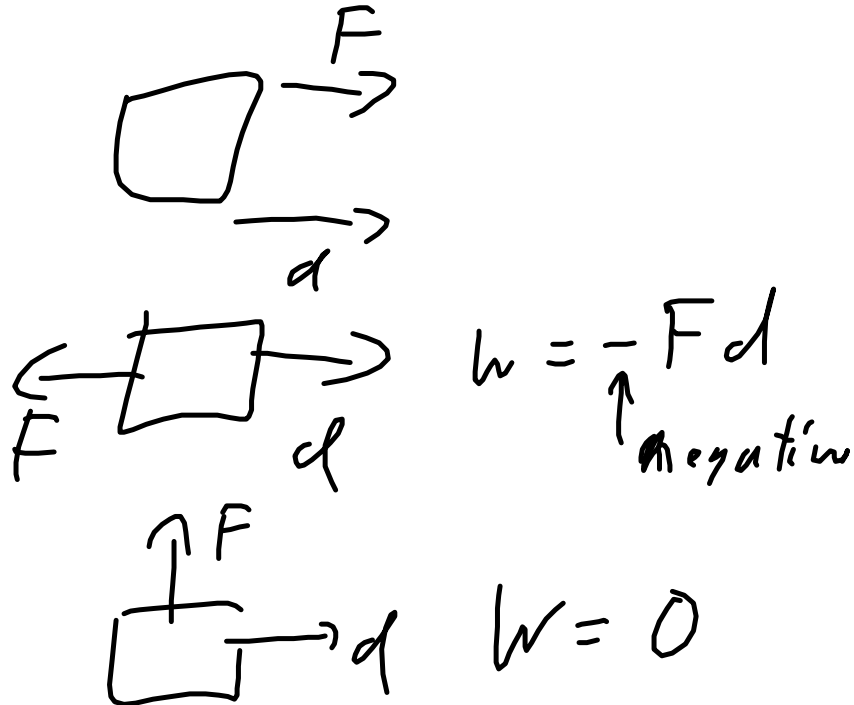
$$IMA = F_{out}/F_{in} = d_{in}/d_{out}$$

eg. You use a jack (lever) to lift a car. If it requires 2000 N to lift one wheel 0.10m using a jack repeatedly through 1.5m

- a) what is the ideal mechanical advantage (use the displacements)
  - b) what minimum force is required on the jack?
  - c) If you push the jack with 150N to lift the car, what is the Mechanical advantage and efficiency of the jack?
- a)  $IMA = F_{out}/F_{in} = d_{in}/d_{out} = 1.5m/0.1m = 15X$
  - b)  $F_{in} = F_{out} / IMA = 2000N/15 = 133N$
  - c)  $MA = 2000N/150N = 2000/150 = 13X$   
efficiency =  $W_{out}/W_{in} \times 100\%$

$$\begin{aligned}
 &= F_{\text{out}}/F_{\text{in}} \times 100\% \\
 &= 2000\text{N} \times 0.10\text{m} / 150\text{N} \times 1.5\text{m} \times 100\% \\
 &= 89\% \text{ efficient}
 \end{aligned}$$

Work,  $W = Fd$



units: Joule, J

Power,  $P = W/t$

units: Watts, W

1. A 50.0 kg student runs up 23 stairs, 0.12 m high and 0.24m wide in 2.5s. Determine

a) the weight of the student

$$F_g =$$

$$F_g = mg = 50\text{kg} \times 9.80\text{N/kg} = 490\text{N}$$

b) the distance up the stairs

$$\text{height} = 0.12\text{m} \times 23\text{stairs} =$$

$$0.12 \times 23 = 2.76 \text{ m} = 2.8\text{m}$$

$$\text{height} = 0.12\text{m} \times 23 \text{ stairs} =$$

$$0.12 \times 23 = 2.76 \text{ m} = 2.8\text{m}$$

c) the distance sideways of the stairs

$$0.24 \times 23 = 5.52 \text{ m} = 5.5\text{m}$$

d) the work done by the student against gravity

$$W = Fd = 490\text{N} \times 2.76\text{m} \text{ (up/down only)}$$

$$490 \times 2.76 = 1,352.4$$

$$1.4 \text{ kJ} = 1.4 \times 10^3 \text{ J}$$

e) the work done by gravity

$$W = -1.4 \text{ kJ} = -1.4 \times 10^3 \text{ J}$$

f) the work done by the normal force

$$W = 0 \text{ the floor doesn't move}$$

(when does the normal force do work? on a trampoline, elevator, or seat of the car, the back pushes on your back.)

g) the power of the student in Watts,

$$P = W/t = 1,352.4\text{J}/2.5\text{s}$$

$$1,352.4/2.5 = 540.96$$

$$540\text{W}$$

and in horsepower  $1\text{hp} = 746\text{W}$

$$540.96 \text{ W (1hp/746W)}$$

$$540.96/746 = 0.7251$$

$$0.73\text{hp}$$

$$540.96 / 746 = 0.7251$$

0.73hp

1. You leave a 100W light bulb on for 8.0 hours a day for a year. If BC Hydro charges \$0.12 per kilowatt-hour

a) how much energy did you use in kilowatt-hours?  
In Joules?

$$100W \times 8.0 \text{ hours} \times 365.25$$

$$100 \times 8 \times 365.25 = 292,200 \text{ Whrs}$$

$$2.9 \times 10^2 \text{ kWhrs}$$

How much does it cost to light the bulb?

$$292 \times 0.12 = 35.04$$

\$35 per year

What if you used a high efficiency bulb,  $P=25W$  for the same brightness?

$35/4 = 8.75$  it will only cost \$8.8, a savings of

$$35.04 - 8.75 = 26.29 \text{ \$26 per year}$$

1. run up the stairs and calculate your power  
measure: Mass\_\_\_\_, time\_\_\_\_, height of each  
stair\_\_\_\_ x the number of stairs\_\_\_\_

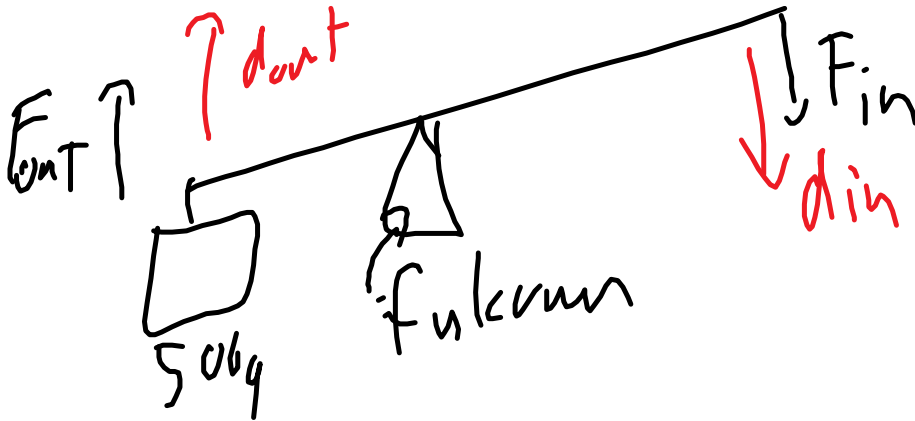
☐ p199-203 problems 1-4, 5,6, 9-12 work for 20 minutes,

☐ then we will introduce Simple Machines and

efficiency

look at a lever

$$W = Fd$$



Ideal machine, the work out=work in,  
no energy/work lost to frictional forces

Types of simple machines:

Lever, pulley, wedge, wheel and axle

Mechanical advantage,  $MA = F_{out}/F_{in}$

Ideal Mechanical advantage, IMA, is where  
no work is lost

Work out = work in

$F_{out} \times d_{out} = F_{in} \times d_{in}$

$IMA = F_{out}/F_{in} = d_{in}/d_{out}$

efficiency =  $W_{out}/W_{in} \times 100\%$

= 100% for an ideal machine



eg. You use a jack (lever) to lift one wheel of a car off the ground to change the tire.

The jack pushes on the car with 2000N to lift the wheel 0.10m. If you have to push with your hand on the jack through 1.5m,

- a) what is the ideal mechanical advantage of the jack? (use the displacements)
- b) what is the minimum force you would have to push on the jack to lift the car?
- c) if you have to push with 150N, what is the mechanical advantage and efficiency of the jack?

a)  $IMA = d_{in}/d_{out} = 1.5m/0.10m = 15X$

b)  $F_{out}/F_{in} = 15X$   $F_{in} = F_{out}/15 = 2000/15 = 133.3333 = 133N$

c)  $MA = F_{out}/F_{in} = 2000/150 = 13.3333 = 13X$   
efficiency =  $w_{out}/w_{in} \times 100\%$   
 $= F_{out} \times d_{out} / F_{in} \times d_{in} \times 100\%$   
 $= 2000N \times 0.10m / 150N \times 1.5m \times 100\%$   
 $= 89\%$